Department of Mathematics

Course Profile

| Course Number: MATH 311 | Course Title: Introduction to Real Analysis | |
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| Required / Elective: Elective | Prerequisite: There is no official pre- requisite for this course. But the student must be familiar with the two semesters materials of calculus | |
| Catalog Description: | Textbook / Required Material: | |
| Algebra of sets, the axiom of choice, countable sets, relations and equivalences, partial orde- rings and the maximal principle. Outer measure, measurable sets and Lebesgue measure, measurable functions. The Lebesgue integral and its properties. | Real Analysis, H.L. Royden, 3rd Edition, Prentice Hall, 1988. | |
| Course Structure / Schedule: (3+0+0) 3 / 6 ECTS | | |
| Extended Description: | | |
| Some facts from naive set theory: i) algebra of sets ii) functions and equivalent sets; iii) countable and uncountable sets. Axioms of real numbers. The extended system of real numbers. Limits and cluster points. Open and closed sets of real numbers. Coverings. Bolzano-Weierstrass theorem. Relations and equivalences, partial ordering and the maximal principle. Outer measure of point sets. Properties of outer measure. Measurable sets. Properties of measurable sets. Limit properties of Lebesgue integral. Lebesgue and Riesz theorems. | | |
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| Design content: None | Computer usage: No particular computer usage required. | |
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| Discussions and pre-reading | 18 hrs |
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| Homework | 20 hrs |
| Midterm Exams | 4 hrs |
| Final Exam | 3 hrs |
| TOTAL | 150 hrs to match 25 x 6 ECTS |
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| Prepared by : Elman Hasanoğlu | Revision Date : 08.02.2010 |